

. . .
 < >
 , - , .
 : ;
 (, ,
 , ,),
 (, ,
 , ,).
 ; ;
 , ;
 ?
 “ ”
 , ,
 ,
 , ,
 , ,
 ,
 , ,
 ,
 ,
 ,
 (, -
), (,
 (,),
 - (,
 -
 , ,
 , ,
 ,
 ,
 ,
 ,
 “ ” () [6]

I.

(σ_1, σ_2)

(σ_1, σ_2)

(σ_1, σ_2)

(σ_1, σ_2)

"[3].

$MV = D$, $V =$ $D =$ PQ

$MV = D$, $V =$ $D =$ PQ

"", "":

(σ_1, σ_2)

(σ_1, σ_2)

"", "":

"", "":

"", "":

"", "":

"", "":

"", "":

"", "":

"", "":

"", "":

,
 (),
 .
 ,
 ,
 ,
 “ ”
 ,
 ; “ ”
 ,
 , “ ”
II.
§1.
 ,
 ()
 C
 ,
 “ ”
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 ,
 :
 a) ,
 ,
 ”[3])
 ()
 (,
);

- “ ” “ ” ;
- b) (constant marginal utility of money) c
- “ ” “ ” ;
- c) “ ” “ ” ;
 () , “ ” , “ ” ;
 , , “ ” , ;
 . . [8]: “ ” ,
 , , , ,
 , , , ,
 ; , , ,
 ; , , ,
 ... , , , ,
 “ ” , (),
 , , , ,
 , , , ,
 ;
- d) ;
 ()
 (, , ,);
 ,
 . . [5] - “ ” “ ” ;
 , , , ,
 , , , ,
 , , , ,
 , , , ,
 ;
- e) ,
 , , , ,
 , , , ,
 , , , ,
 , , , ,
 , , , ,
 , , , ,
 , , , ,
 , , , ,
 , , , ,
 , , , ,
 “ ” “ ” ;

$$W_t(z) = \sum_{i=1}^N \Delta s_t^i | \Delta s_t^i |^z \quad (1),$$

$$\Delta s_t^i$$

t.

$$s_t^i$$

$$\vdots$$

$$\sum_{i=1}^N s_t^i = S_t \quad s_t^i = |s_e^i| + |s_n^i| + |s_r^i|, \quad s_e^i =$$

$$, \quad s_n^i = , \quad ,$$

$$\Delta s_t^i = a + ib = (s_e^i - |s_n^i|) + is_r^i. \quad :1)$$

$$s_e^i = s_t^i \quad s_r^i; \quad 2) \quad |s_n^i| > |s_r^i|; \quad 3)$$

([8])

“

”

”).

$$\Delta s_t^i = s_e^i,$$

$$S_i.$$

$$(1)$$

$$z \rightarrow +0$$

,

“

”,

“

”,

$$(N=7 \quad . \quad . \quad . \quad),$$

,

$$\Delta s_t^i$$

$$\begin{aligned}
& \Delta s_t^i, \quad s_n^i, \quad s_r^i, \quad S_e, \\
& \operatorname{Re} z = \frac{S_e}{S} \leq 1 \quad W(z) \\
& \text{“} \quad \text{“} \\
& z \\
& \left(\begin{array}{c} (\dots) \\ N = \infty \end{array} \right) \quad \operatorname{Re} z, \\
& \left(\begin{array}{c} \dots \\ \text{“} \quad \text{“} \end{array} \right). \\
& (1) \\
& (\\
&).^3 \\
& \Delta s_i, \quad \text{“} \quad \text{“} \\
& \text{“} \quad \text{“} \\
& [11], \quad \text{“} \quad \text{“} \\
& \text{“} \quad \text{“} \\
& \text{“} \quad \text{“} \\
& \vdots \dots \quad \text{“} \quad \text{“} \\
& (\quad \quad \quad) \\
& , \quad \text{“} \quad \text{“} \\
& \overline{\text{W}} \\
& \overline{s_t^i}, \quad \text{“} \quad \text{“} \\
& \overline{(1 - y_i(x))} = \frac{\overline{s_e^i}}{\overline{s_t^i}} \quad \{ \Delta s_t^i \} \\
& \overline{N}.
\end{aligned}$$

$$EW(\Delta s_t^i; a) = \sum_{i=1}^N \int_0^\infty s_i^{a+1} [(1 - 2y_i(x))|1 - 2y_i(x)|^\alpha] F(dx),$$

$$\therefore s_i = s_e^i(x) + s_n^i(x), \quad s_e^i(x) = (1 - y_i(x))s_i, \quad 0 \leq y(x) \leq 1, \quad \int_0^\infty F(dx) = \int_0^\infty f(x)dx = 1.$$

$$, \quad EW(\Delta s_t^i; a) = \sum_{i=1}^N \int_0^\infty s_i^{a+1} [(1 - 2y_i(x))|1 - 2y_i(x)|^\alpha] F(dx) = \sum_{i=1}^N \Delta s_t^i |\Delta s_t^i|^a.$$

$$a_i \quad (1 - y_i(x)) = \frac{s_e^i}{s_t^i}$$

$$W_t = \frac{1}{2} \begin{pmatrix} s_e^i - |s_n^i| & -is_r^i \\ is_r^i & s_e^i - |s_n^i| \end{pmatrix};$$

$$W_t(z) = \sum_{i \in I_e} W_t^i |W_t^i|^z, \quad |W^i| = s_t^i = \sqrt{|s_e^i|^2 + |s_n^i|^2 + |s_r^i|^2}.$$

()

c

“ ”

4

45

$$\begin{aligned} & (). \\ & () - (), \\ & () - (), \\ & (), \end{aligned}$$

5

“ ” “ ” “ ” “[8],

(“ ” “ ”)

§3.

$$\sum_{i=1}^N \Delta s_t^i = S_t$$

$$\Delta s_t^i = s_t -$$

“ ”

”

”

”

():

$$(\quad)$$

:

,

,

”

”

”

,

$$)$$

(

,

(“ ”) ”,

”

”

”

,

),

”

”

”

,

“ ”

”

”

”

,

”

”

,

“ ”

”

”

”

,

”

,

,

“ ” “ ” “ ” “ ”
 “ ” “ ” “ ” “ ”
 “ ” “ ” “ ” “ ”
 “ ” “ ” “ ” “ ”
 “ ” “ ” “ ” “ ”
 $W(z) \quad S[x(t), u(t)],$
 \vdots
 $($
 $).$
 $,$
 $\vdots \quad \frac{dx}{dt} = f(x, u).$
 $,$
 $\vdots \quad \frac{dx}{dt} = f(x, u, W_\tau, \xi), \quad x -$
 $($
 $G(u_i \in G_{u_i}) \quad u -$
 $\tau, \quad W_\tau -$
 $t, \quad \xi -$
 $,$
 $W(z)$
 $($
 \vdots
 $S[x(t), u(t)] = \int_0^\infty F(x(t), u(t), W_\tau, \xi) dt \quad (2),$
 $S[x(t), u(t)] -$
 $t, \quad (2), \quad ,$
 $X(x_i \in X), \quad U(u_i \in U), \quad \Omega(\xi \in \Omega).$
 $($
 $, \quad),$
 $W(\Delta s_t^i), \quad \xi$
 $\Omega \quad ($
 $, \quad), \quad U$
 $W(\Delta s_t^i) \quad \xi$
 \vdots
 $($
 $\vdots \quad (2):$

$S[N(t), L_e(t)] = \int_0^\infty [(1+\sigma) \ln N(t) - \ln(L - L_e(t))] dt \rightarrow \min$ (3),

$N(t)$
 $L_e(t)$ “ ”
 σ “ ”
 $, W$ (1)
 $, ,$
 $, ,$

(, , , , , ,).
; , , , , ,).
, (1) , (1) (2-3) , , , , “ ”
, , , , , , , , “ ”
, , , , , , , , “[4], “ ”
, , , , , , , , “[5].

, $W(z)$
S (, , , , , , , , , ,)
, , , , , , , , , , , , ,).
(3) ,
 $L_e(t) \rightarrow L$,

III.

1.
(3)) () () (1)-
 W

S (),

$$\frac{S_e}{S_t} \sim \frac{L_e(t)}{L},$$

2.

W

3.

4.

(
),
,[9]).

).
“”

5. , . , . , . , .

, .

(,)

“ ” (“ ”)

, .

, .

“ ”

5. , (),

, .

(,).

“ ”, .

, .

, .

- (, - , -)

), .

6.

W
 t ;
 Y ,
 z ,

Gini , (1) $\operatorname{Re} z = 0,8$

, 20% , 20% (80%

) , ()

, .

8. , .

—
—
—
—
—

—
—
—
—
—

(— , “ ”), “ ”

—
—
—
—
—

9.

()

—
—
—
—
—

10.

(,),

—
—
—
—
—

—
—
—
—
—

—
—
—
—
—

(), 20

—
—
—
—
—

—
—
—
—
—

—
—
—
—
—

—
—
—
—
—

, , , , (),

—
—
—
—
—

—
—
—
—
—

- “ ” “ ” “ ”, “ ”, “ ”, “ ”, “ ”, “ ”,
- “ ” (“ ”) “ ” “ ”, “ ”, “ ”, “ ”.
- :
1. . ., . “ ”, 2007.
2. . . “ ”, 2009.
3. . . “ ”, 1936.
4. . ., . . “ ”, 1997.
5. . . “ ”, 2009.
6. . . “ ”, 1990.
7. . . “ ”, 2003.
8. . ., . . “ ”, 1970.
9. . ., . . “ ”, . . “ ”, 1995.
10. . . “ ”, 2003.
11. . . “ ”, 2004, “ ”, 2010;
12. Evgeny Shchepin “Greedy sums and Dirichlet series”, <http://arXiv.org/abs/1110.5285v1>, 2011.